

# Testing and Verification (DT085)

## Solutions to Model Examination - March 2016

**Important Notes.** It is not allowed to use study material, computers, and calculators during the examination. The examination comprises 4 question in 2 pages. Please check beforehand whether your copy is properly printed. In order to obtain a VG you need to obtain 80/100, for a G you need to obtain 60/100. Give complete explanation and do not confine yourself to giving the final answer. The answers may be given in Swedish or English. **Good luck!**

**Exercise 1 (20 points)** Define the following concepts:

1. Fault, Error, Failure
2. Robust Equivalence-Class Testing
3. Regression Testing
4. Finite Feasibility

*Solution.*

1. Fault is a mistake which is the result of incorrect interpretation or implementation of the requirements. Error is the wrong program state. Failure is the observable result of error in the program behavior.
2. In equivalence-class based testing, the input domain (which is the domain of a number of physical variables) is divided into a number of equivalence classes and from each class, at least three representatives are chosen for generating test-cases. To test robustness values out of the specified input domain are also provided in the test cases.
3. Regression testing refers to the process of re-testing the evolved versions of the software while maintaining the old test cases and adding new test cases.
4. A coverage criterion is finitely feasible if, for each and every program, it can be satisfied by a finite test suite. For example, for programs with unbounded loops, all nodes and all edges criteria are both finitely feasible, while all paths is not.

**Exercise 2 (35 points)** Consider the following program.

```

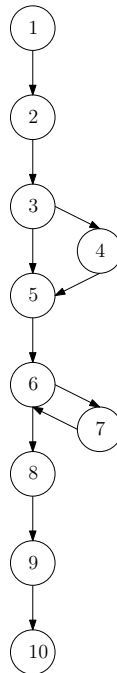
1: read(x);
2: read(y);
3: if x < 10 then
4:   x := 10;
5: end if
6: while y < x then
7:   y := y + 1;
8: end while
9: x := x + 1
10: write(x);

```

1. Draw the control-flow graph of the program (5 pts),
2. Calculate its cyclomatic number (10 pts),
3. Calculate all prime paths of the CFG (10 pts),
4. Define a set with the fewest number of test cases that satisfies the all-prime-path coverage criterion (10 pts).

*Solution.*

1. The CFG of the program is given below:



2. Its cyclomatic number is 3, because the CFG divides the plane into 3 regions.
3. Prime paths (simple paths that are not included in any other simple path) are given below:
  - [1, 2, 3, 5, 6, 8, 9, 10]
  - [1, 2, 3, 4, 5, 6, 8, 9, 10]
  - [1, 2, 3, 5, 6, 7]
  - [1, 2, 3, 4, 5, 6, 7]

[7, 6, 8, 9, 10]

[6, 7, 6]

[7, 6, 7]

4. The following set of two test cases satisfies the all-prime-path criterion:

inputs:  $x = 9, y = 12$ , expected output  $x = 11$ , covers: [1, 2, 3, 4, 5, 6, 8, 9, 10]

inputs:  $x = 11, y = 12$ , expected output  $x = 12$ , covers: [1, 2, 3, 5, 6, 8, 9, 10]

inputs:  $x = 9, y = 6$ , expected output  $x = 11$ , covers: [1, 2, 3, 5, 6, 7], [7, 6, 8, 9, 10], [6, 7, 6] and [7, 6, 7]

inputs:  $x = 12, y = 6$ , expected output  $x = 13$ , [1, 2, 3, 4, 5, 6, 7]

**Exercise 3 (20 points)** Explain the meaning of the following formulas in English.

1.  $E \langle \rangle \text{ deadlock}$  (5 pts),
2.  $A \langle \rangle (\text{a.l or a.lp}) \text{ and } v \leq 2$  (5 pts),
3.  $\text{a.l} \dashrightarrow \text{a.lp}$  (10 pts).

*Solution.*

1. There is some execution in which some state does not have any outgoing enabled transition,
2. For all executions eventually a state is reached in which process (automaton instance  $a$ ) is either in location  $l$  or in location  $lp$  and the value of global variable  $v$  is at most 2,
3. For all execution if process  $a$  is in location  $l$ , then eventually in all future executions  $a$  will be in location  $lp$ .

**Exercise 4 (25 points)** Calculate  $\text{Slice}(9, \{x\})$  for the following program. The final solution is not sufficient; elaborate on the steps towards the final solution. (20 pts)

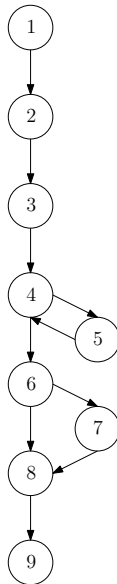
```

1: read(x);
2: read(y);
3: z := y;
4: while y < 10 then
5:   z := z + 1;
6:   if z < y then
7:     x := 10;
8:   x := x + 1
9: write(x);

```

Is the calculated slice optimal? Motivate your answer. (5 pts)

*Solution.* The flow graph of the program is depicted below.



Based on this CFG, the slice  $Slice(9, \{x\})$  is calculated using the following three approximations.

<b>m</b>	<b>DEF(m)</b>	<b>Relevant<sub>0</sub>(m)</b>	<b>Slice<sub>0</sub></b>	<b>Cond<sub>1</sub></b>	<b>Rel<sub>1</sub></b>	<b>Slice<sub>1</sub></b>	<b>Cond<sub>2</sub></b>	<b>Rel<sub>2</sub></b>	<b>Slice<sub>2</sub></b>
1	$\{x\}$	$\emptyset$	✓	×	$\emptyset$	✓	×	$\emptyset$	✓
2	$\{y\}$	$\{x\}$	×	×	$\{x\}$	✓	×	$\{x\}$	✓
3	$\{z\}$	$\{x\}$	×	×	$\{x, y\}$	✓	×	$\{x, y\}$	✓
4	$\emptyset$	$\{x\}$	×	×	$\{x, y, z\}$	×	✓	$\{x, y, z\}$	✓
5	$\{z\}$	$\{x\}$	×	×	$\{x, y, z\}$	✓	×	$\{x, y, z\}$	✓
6	$\emptyset$	$\{x\}$	×	✓	$\{x, y, z\}$	✓	✓	$\{x, y, z\}$	✓
7	$\{x\}$	$\emptyset$	✓	×	$\emptyset$	✓	×	$\emptyset$	✓
8	$\{x\}$	$\{x\}$	✓	×	$\{x\}$	✓	×	$\{x\}$	✓
9	$\emptyset$	$\{x\}$	×	×	$\{x\}$	×	×	$\{x\}$	×

No, the calculated slice is not optimal since in the case of  $y < 10$ , the loop does not terminate and hence, the rest of the slice does not contribute to the value of  $x$ . However, termination of programs for most programming languages is undecidable and hence calculating an optimal slice cannot be decided algorithmically.